

Hello!

- Grab a whiteboard.
- Write the formula for work on it.

This Week

- M: Into to Work, Power and Energy.
- T: Continue Work, Power and Energy.
- W: Review for quiz.
- R: Quiz.
- F: Lab.

Work

- When something is displaced by a force.
- Work is only measured by the **component** of force in the direction of the displacement.
- Formula: $\text{work} = \text{force} \times \text{displacement} \times \cos\theta$.

$$\cos\theta$$

- θ : the angle **between** the direction of the force and the direction of the displacement.
- If the force and direction are in the same direction, $\theta=0$.

Find θ and calculate $\cos\theta$



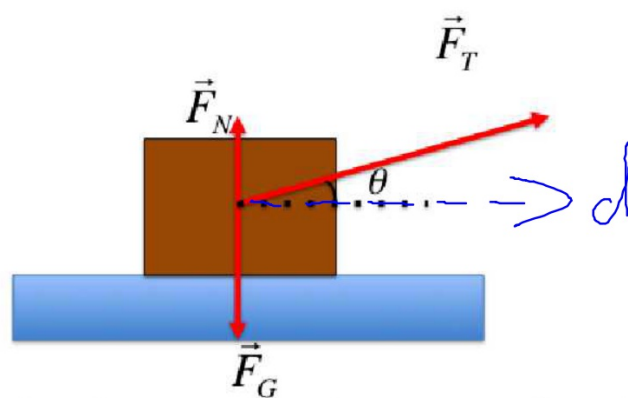
A man pushes a car to the right

Find θ and calculate $\cos\theta$



Gravity accelerates a skydiver.

Find θ and calculate $\cos\theta$



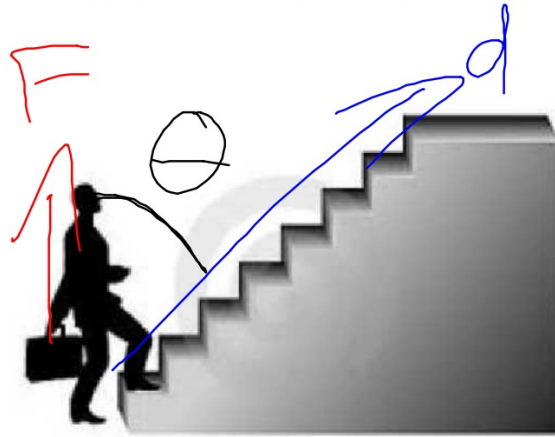
A box is dragged at an angle of 30°

Find θ and calculate $\text{Cos}\theta$



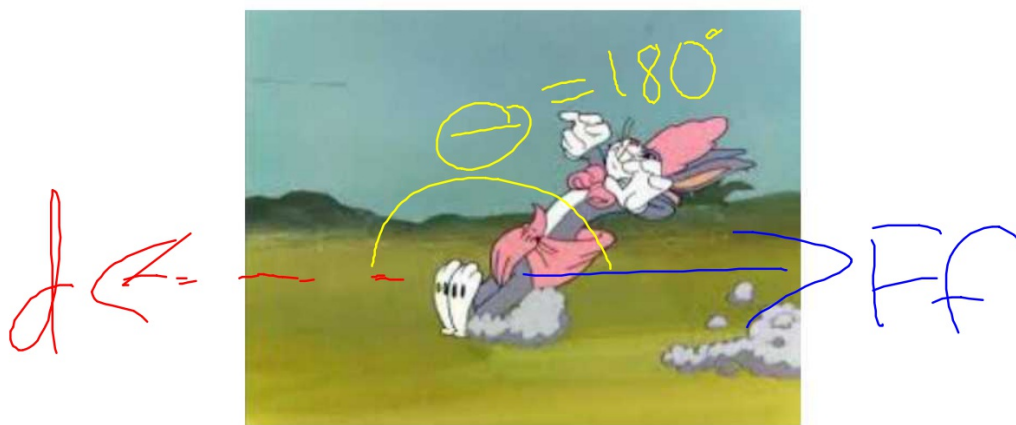
A server carries a tray across a restaurant

Find θ and calculate $\cos\theta$



A man carries a briefcase up stairs

Find θ and calculate $\cos\theta$



A rabbit skids to a stop

Circular Motion Quizzes

The average was a 91.8%!

Way to go!

Check that the grade on the quiz is the same as the grade on IC.

$$\text{Work} = F D \cos \theta$$

- W: work done on a system [Nm or joules]
- F: the force applied [N]
- D: the displacement [m]
- Cos θ : ratio comparing the angle of force and displacement. [none]

Joules [J]

- Metric unit of energy.
- Defined in many ways:
 - Newton Meters: Nm
 - $F=ma$, so energy is also $(\text{kgm/s}^2)\text{m}$
 - This becomes kgm^2/s^2
 - Others to follow in later weeks.

$$W = F \cdot d \cdot \cos \theta$$

Calculate the energy put into the system.

$$F = 200 \text{ N}$$

$$d = 5 \text{ m}$$

$$\theta = 0^\circ$$

$$W = 200 \text{ N} \cdot 5 \text{ m} \cdot \cos 0^\circ$$

$$= 1000 \text{ J}$$



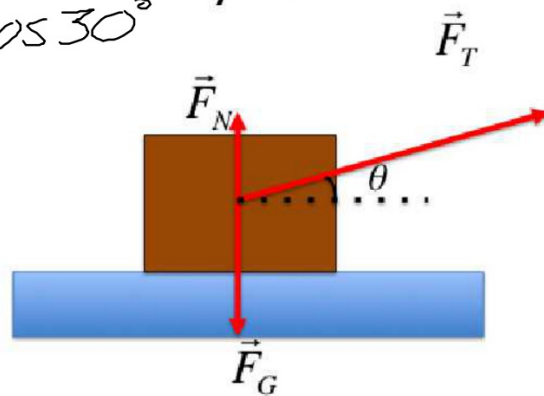
A man pushes a car with a force of 200N for 5m.

Calculate the energy put into the system.

Known: F, d, θ

$$W = 50\text{ N} \cdot 4\text{ m} \cdot \cos 30^\circ$$

$$173\text{ J}$$



A box is dragged 4m. A force of 50N pulls at an angle of 30° .

Calculate the energy put into the system.

$$K: d, F, \theta$$

$$W = F \cdot d \cdot \cos \theta$$

$$-280 \text{ J}$$



A rabbit skids to a stop over 7m.
The frictional force is 40N

Find some Work

- You and your partner find an example of work that can be done around the room.
- Describe the work done and calculate it.
- Present your findings to another lab group.
- Allow them to calculate the work also.

Potential Energy

- Energy stored in a system.
- When released, there is a force that will do work.
- This means that some kind of negative work has to be done.

Nature is Lazy

- The system will want to be at the lowest energy level possible.
- By “storing” energy in a system, we have the possibility of work being done later.
- The system wants to be brought to its lowest energy level possible, releasing energy.

Potential Energy

- An archer draws a bow. By displacing the string, he stores energy in the system.
- Energy in = energy out.



Gravitational Potential Energy

- By displacing an object vertically, you allow gravity to do work on an object.
- GPE is mgh . Mass x gravity x height of displacement.



A busser carries a 10kg load of dishes up stairs. The dishes have a 3.5m vertical displacement and a 4m horizontal displacement. What is the potential energy put into the dishes?

$$\begin{aligned} R: m &= 10 \text{ kg} \\ g &= 9.8 \text{ m/s}^2 \\ h &= 3.5 \text{ m} \end{aligned}$$

$$\begin{aligned} GPE &= mgh = 10 \text{ kg} \cdot 9.8 \frac{\text{m}}{\text{s}^2} \cdot 3.5 \text{ m} \\ &= 343 \text{ N} \end{aligned}$$

A 3kg mass is dragged at a constant speed 6.5m across a floor. If $\mu=0.4$, how much work does the pull on the object do?

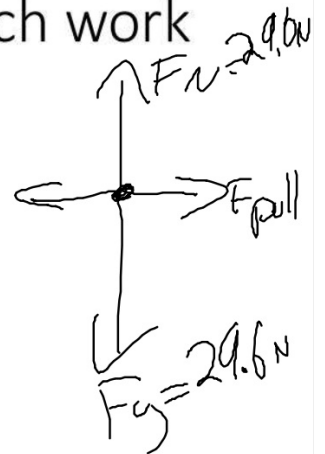
$$F_{\text{pull}} = 11.76 \text{ N}$$

$$d = 6.5 \text{ m}$$

$$\theta = 0^\circ$$

$$11.76 \text{ N} = F_N \mu = F_f$$

$$W = F \times d = 76.44 \text{ J}$$



Springs

- The more that you compress a spring, that harder it becomes to compress.
- The more compressed, the more force will be applied to an object that the spring applies to an object.

Hook's Law: $F_{\text{spring}} = -kx$

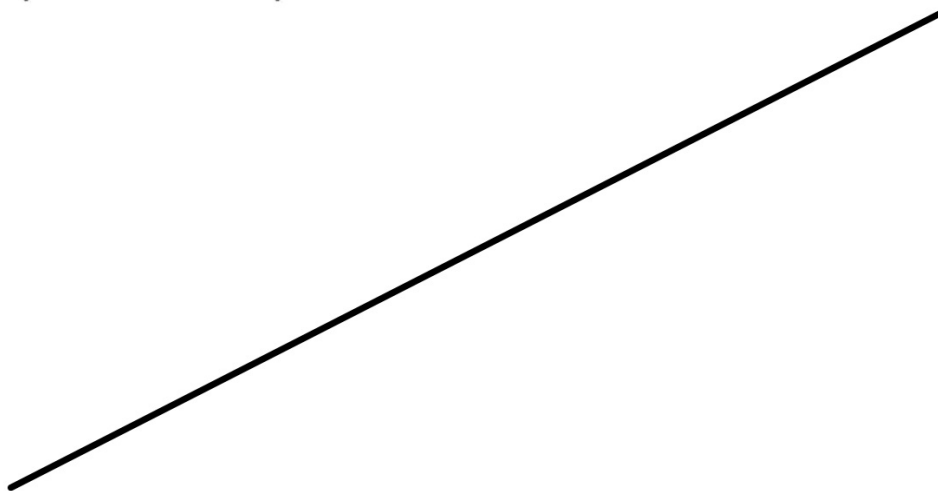
- F : the force that a spring will apply when released.
- x : the displacement (compression) of the spring.
- k : the spring constant.

The spring constant: k

- The more compression on a spring, the more force the spring will apply.
- k : N/m
- If displacement doubles, force of the spring also doubles.
- Linear relationship.

A force of 30N compresses a spring 2.5m.
What is the spring constant?

The spring constant on a spring is 12N/m .
Graph the displacement vs force over 5m .



Potential Energy on a Spring

- Go to learningscience.org
- Under physical science, select motion and forces.
- # 5 is springs and things.

Activity 1

Show energy of number 1.

- Click $\frac{1}{4}$ time.
- Hang the 50g mass on the first spring.
- Observe the relationship between potential, kinetic energy and thermal.

Activity 2

- Turn gravity and friction to zero.
- Put time in real time.
- Put the 250g mass on the spring.
- Observe the relationship between kinetic and potential energy.